Materials for Additive Manufacturing Feasibility and Applications

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Motivation

- Power electronics applications
- RoHS Pb-Free
- Harsh environments
- Rapid and robust Additive
 Manufacturing applications



B. A. and G. M., "Electric Power Systems in More and All Electric Aircraft: A Review," IEEE, vol. 8, pp. 169314-169332, 2020.



F. Roccaforte, P. Fiorenza, G. Greco, R. Nigro, F. Giannazzo, F. Lucolano and M. Saggio, "Emerging trends in wide band gap semiconductors (SiC and GaN) technology for power devices," *Microelectronic Engineering,* Vols. 187-188, no. 5, pp. 66-77, 2018.



TLPS Processing



Effects on Electrical Conductivity, and Structure Formation





Dynamic Resistivity Test (DRT) Apparatus and Test Design



DRT: Schematics Resistivity Curve Evolution

- <u>STAGE I:</u> Organic related evaporation, capillary forces.
 Beginning of percolation network.
- <u>STAGE II:</u> Melting of TLPS's Low Melting Particles (LMP). Closer to eutectic melting point. Liquid-state diffusion.
- **<u>STAGE III:</u>** Solid-state diffusion.



Resistivity = $\rho(T, A(T, t), Holding Time, \%LMP, \%Flux, LMP Selection, Flux Selection, etc..)$



DRT: Schematics of Effects

- <u>Heating Rate:</u> Has a major effect over stage I (a). In addition, when combining with specific flux and LMP selection, heating rate has an effect over stage II (b).
- <u>LMP Selection</u>: The LMP selection determines the temperature of the secondary major decrease in the resistivity curve (stage II).
- <u>Flux Selection:</u> Has the potential to completely shift the resistivity curve (stage I, II, and III).



DRT: Regression Model, Double Sigmoid Function

$$\rho(T, A(T)) = \exp\left\{\frac{\log(R)A(T)}{L} \left[\frac{fmax-f_0}{1+\left(\frac{T}{\tau_1}\right)^{n_1}} + \frac{f_0-fmin}{1+\left(\frac{T}{\tau_2}\right)^{n_2}} + fmin}\right]\right\}$$

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Experimental Data and Results



Stage-I Correlation to Packing Density



Stage-I Correlation to Packing Density and Flux Evaporation



No Observed Significant Change in Overall Cross-Section



Increase in Resistivity due to Oxidation



Experimental Control and Results

Counts







Conclusions

- The resistivity curve evolution of TLPS pasts was established and mathematically modeled.
- The main contributors to the electrical resistivity of the TLPS material are:
 - Pre-sintering packing density, and percolation
 - Evaporation of the organics
 - Melting of the LMP, their liquid-state diffusion, and attracting capillary forces
- The rapid development of electrical conductivity was demonstrated.
- Flux selection has a major effect over the curve evolution and the final resistivity of the TLPS material.
- In-based TLPS systems show better resistance to oxidations over long sintering times than Snbased TLPS systems.
- This study contributes to the optimization effort of using TLPS materials in AM application in remote locations, and power electronic applications.



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Thank You! Any Questions?

